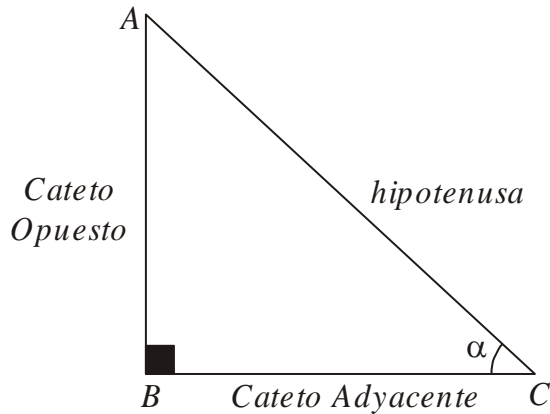




RAZONES TRIGONÓMICAS II

(tangente - cotangente)

Tenemos que recordar:



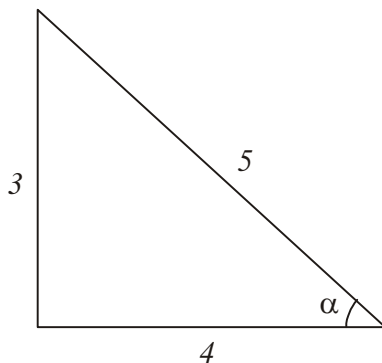
Entonces:

- $tg\alpha = \frac{\text{Cateto Opuesto}}{\text{Cateto Adyacente}}$
- $ctg\alpha = \frac{\text{Cateto Adyacente}}{\text{Cateto Opuesto}}$

Ejemplos:

1. Calcular si:

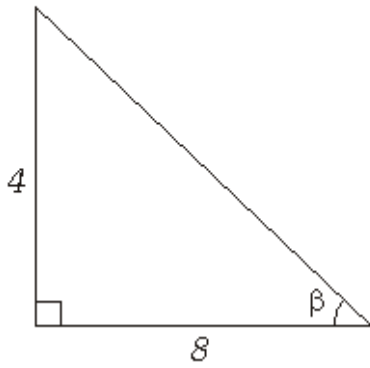
Resolución:



$$tg\alpha = \frac{\text{Cateto Opuesto}}{\text{Cateto Adyacente}}$$

$$tg\alpha = \frac{3}{4}$$

2. Calcular la $ctg\beta$.



Resolución:

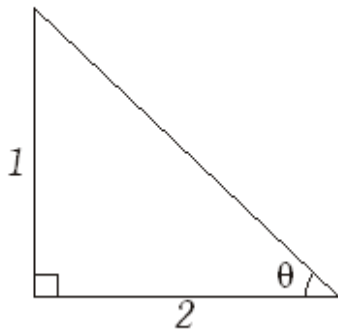
Sabemos que :

$$ctg\beta = \frac{\text{Cateto Adyacente}}{\text{Cateto Opuesto}}$$

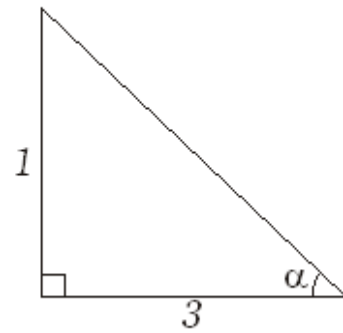
$$ctg\beta = \frac{2}{\cancel{4}} \Leftarrow \text{simplificando}$$

$$ctg\beta = 2$$

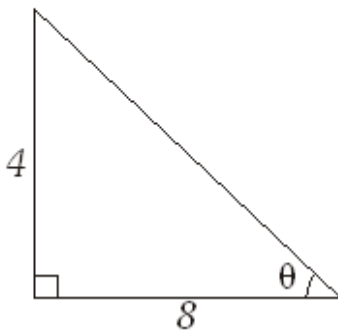
1. Calcular $tg\theta$ si:



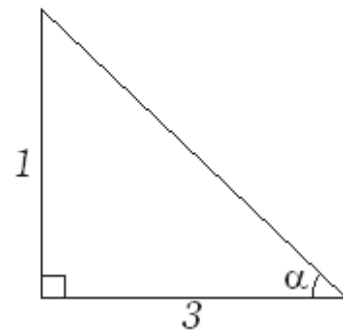
2. Calcular $ctg\alpha$ si:



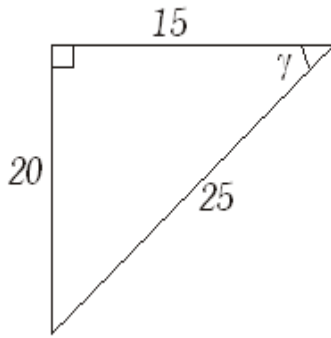
3. Calcular $tg\theta$ si:



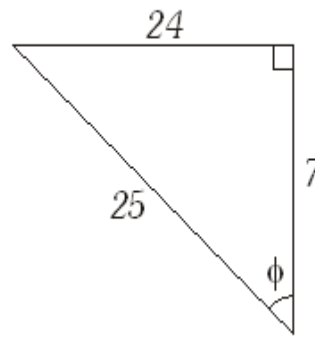
4. Calcular $ctg\alpha$ si:



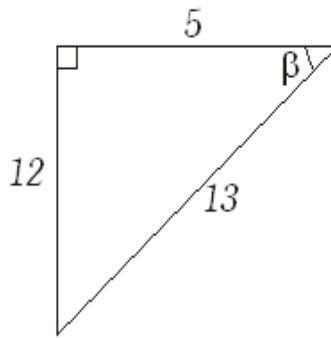
5. Calcular $4\text{tg}\gamma$ si:



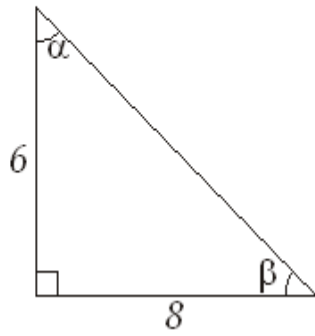
6. Calcular: $10\text{ctg}\phi$ si:



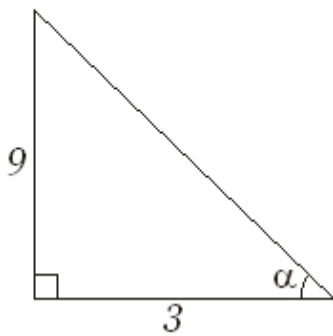
7. Calcular: $P = 2\text{ctg}\beta$



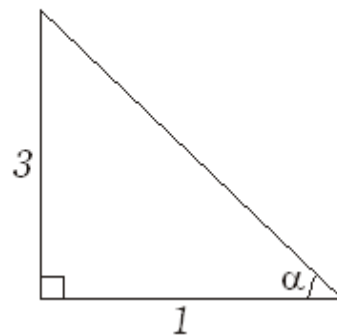
8. Calcular $M = \text{tg}\alpha \cdot \text{ctg}\beta$



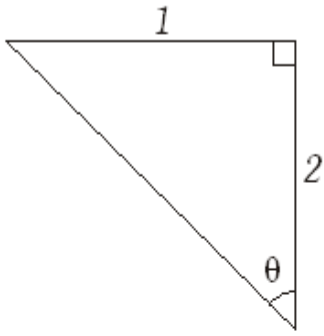
1. Calcular $\text{tg}\theta$ si:



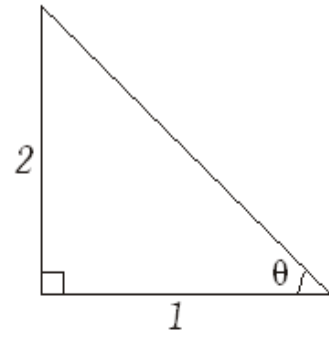
2. Calcular $\text{ctg}\alpha$ si:



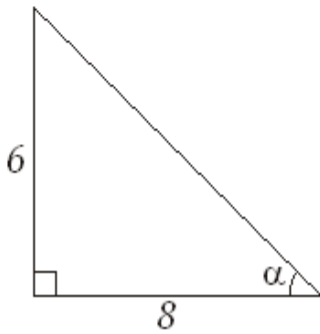
3. Calcular $E = 20 \operatorname{tg} \theta$



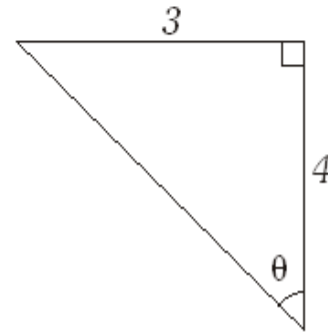
4. Calcular $12 \operatorname{ctg} \alpha$



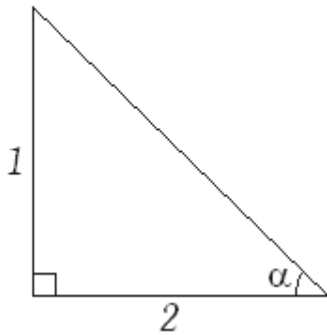
5. Calcular $\operatorname{tg} \alpha \cdot \operatorname{ctg} \alpha$



6. Calcular $N = \operatorname{tg} \theta + \operatorname{ctg} \theta$



7. Calcular $\operatorname{tg}^2 \alpha + \operatorname{ctg}^2 \alpha$



8. Calcular $\operatorname{tg}^2 \theta + \operatorname{ctg}^2 \theta$

